



Mixing of salt solutions usually does not result in any observable changes. The properties of the species originally present persist and no new properties can be detected (e.g. no precipitate, no color change, etc.). Examples:

 $NaCl + KNO_3$ or $ZnSO_4 + MgCl_2$

But it is not always the case... see, for instance:



plus, metal ions are also hidden from their usual reactions...

Complex forming reactions

In these cases, the reaction between the ions resulted in the formation of **complex ions** (compounds):

 Fe^{3+} + 6 F⁻ = $[FeF_6]^{3-}$ Co²⁺ + SCN⁻ = $[Co(SCN)]^+$

Complex compounds contain a *central metal ion* surrounded by other ion(s) or molecule(s) called *ligands*. Ligands can be ions or neutral molecules (e.g. ammonia, water).

The driving force behind the formation of complex ions is that certain atoms in the ligands donate one of their free electron pairs to the central metal ion (*donor atoms*), to fill its valence shell. This is essentially an acid-base reaction according to Lewis.

This bond type is called *coordinative bond*.











Structure of complex compounds

2	sp	linear	H ¹ Ag ⁺ Hg ²⁺ Au ⁺	hydrogen bond, H_2F^- {Ag ₂ O}, Ag(CN) ₂ ⁻ , Ag(SH); HgCl ₂ , HgBr ₂ , HgI ₂ , HgS ₂ ²⁻ AuCl ₂ ⁻
4	dsp² or sp²d	square panar	Pd ²⁺ Pt ²⁺ Ni ²⁺	$Pd(H_2O)_4^{2-}, Pd(NH_3)_4^{2+}$ $PtCl_4^{2-}$ $Ni(CN)_4^{2-},$ Ni-dimethyletyoxime
	sp ³	tetrahedral	$\begin{array}{c} Fe^{3+} \\ TI^{3+} \\ Co^{2+} \\ Li^+ \\ Be^{2+} \\ B(III) \\ C(IV) \end{array}$	FeCl ₄ ⁻ , FeBr ₄ ⁻ TlCl ₄ ⁻ , TlBr ₄ ⁻ CoCl ₄ ²⁻ , Co(CNS) ₄ ²⁻ Li(H ₂ O) ₄ ⁺ Be(H ₂ O) ₄ ²⁺ B(OH) ₂ ⁻ organic compounds
6	d²sp³ or sp³d²	octahedral	ions ions	$Co(H_2O)_6^{2+}$, $Fe(H_2O)_6^{2+}$ $Fe(H_2O)_6^{3+}$, $Cr(H_2O)_6^{3+}$ $Na(H_2O)_6^{+}$ most EDTA complexes

Table 4.3-2. Most commonly observed structures of complex species

Complex formation equilibria

Complex reactions always commence in a stepwise fashion. Each equilibrium is characterized by a *stepwise formation constant* (the example below is given for e.g. a complex with a coordination number of 4 and monodentate ligands):

$M \ + \ L \ \longleftrightarrow \ \ ML$	$K_1 = \frac{[ML]}{[M] \cdot [L]}$
$ML + L \leftrightarrow ML_2$	$K_2 = \frac{[ML_2]}{[ML] \cdot [L]}$
$ML_2 + L \leftrightarrow ML_3$	$K_3 = \frac{[ML_3]}{[ML_2] \cdot [L]}$
$ML_3 + L \leftrightarrow ML_4$	$K_4 = \frac{[ML_4]}{[ML_3] \cdot [L]}$
where usually $K_1 \ge K_2 \ge K_3 \ge K_4$.	

Complex formation equilibria

The **overall formation constant** (K, β) for the last complex in the chain is the product of the formation constants.

$$\beta = \mathsf{K}_1 \cdot \mathsf{K}_2 \cdot \mathsf{K}_3 \cdot \mathsf{K}_4$$

$$M + nL \leftrightarrow ML_n$$
 $\beta = \frac{[ML_n]}{[M] \cdot [L]^n}$

Because of the parallel equilibria, there is a number of species present in a solution containing complex compounds (e.g. M, L, ML, ML_1 , ML_2 , ML_3 , ML_4). The concentration of these species is calculable, even if in a complicated manner, using the formation constants.

One can also see that full complexation of a metal ion is only possible using a large excess of the ligand.

Conditional formation constant

The formula for the overall formation constant suggest that the complex formation is only governed by the concentration of the ligand, and the free metal ion. For a hexadentate ligand (EDTA, Y^{4-}), as an example, it is:

$$K = \frac{[MY]}{[M^{n_+}][Y^{4_-}]}$$

In reality, the formation equilibrium is also affected by any side reactions that influence $[Y^{4\text{-}}]$ or $[\mathsf{M}^{n+}].$ These include:

• pH (since protons compete with metal ions for the ligand)

• other ligands (as they compete with ligand for the metal ion)

These effects can be taken into account by introducing the so called **virtual (conditional) formation constant.** As an illustration, we will discuss the effect of pH in the followings.

Conditional formation constant

The ligand not complexed is present in various protonated forms. If we denote the total dissolved ligand concentration by Y', then we can write

$$[Y'] = [Y^{4-}] + [HY^{3-}] + [H_2Y^{2-}] + [H_3Y^{-}] + [H_4Y]$$

and we can define a proportionality factor:

 $\alpha_{\rm H} = [Y']/[Y^{4-}]$

The value for this factor is, of course, calculable based on the stepwise dissociation equilibria for $\rm H_4Y.$ If we do the math, we obtain:

$$\alpha_{H} = 1 + K_{1} \cdot [H^{+}] + K_{1} \cdot K_{2} \cdot [H^{+}]^{2} + K_{1} \cdot K_{2} \cdot K_{3} \cdot [H^{+}]^{3} + K_{1} \cdot K_{2} \cdot K_{3} \cdot [H^{+}]^{4}$$













EDTA has many features useful in complexometry:

- *it is a versatile titrant*, as it forms highly stable 1:1 ratio chelate complexes with a number of metals
- *its own color does not interfere with indicators*, as EDTA solution is colorless, and so are most of its complexes
- EDTA and also its metal complexes are water soluble
- EDTA solutions are stable (in plastic containers)
- it is relatively harmless (non-toxic)

Versatility of EDTA complexometry

Ion	$\log K_{\rm f}$	Ion	$\log K_{\rm f}$	Ion	log K
Li+	2.95	V ³⁺	25.9 ^a	Tl ³⁺	35.3
Na ⁺	1.86	Cr ³⁺	23.4^{a}	Bi ³⁺	27.8^{a}
K+	0.8	Mn ³⁺	25.2	Ce ³⁺	15.93
Be ²⁺	9.7	Fe ³⁺	25.1	Pr ³⁺	16.30
Mg ²⁺	8.79	Co ³⁺	41.4	Nd ³⁺	16.51
Ca ²⁺	10.65	Zr ⁴⁺	29.3	Pm ³⁺	16.9
Sr ²⁺	8.72	Hf ⁴⁺	29.5	Sm ³⁺	17.06
Ba ²⁺	7.88	VO ²⁺	18.7	Eu ³⁺	17.25
Ra ²⁺	7.4	VO ₂ ⁺	15.5	Gd ³⁺	17.35
Sc ³⁺	23.1^{a}	Ag ⁺	7.20	Tb ³⁺	17.87
Y ³⁺	18.08	T1 ⁺	6.41	Dy ³⁺	18.30
La ³⁺	15.36	Pd ²⁺	25.6 ^a	Ho ³⁺	18.56
V ²⁺	12.7^{a}	Zn ²⁺	16.5	Er ³⁺	18.89
Cr ²⁺	13.6 ^a	Cd ²⁺	16.5	Tm ³⁺	19.32
Mn ²⁺	13.89	Hg ²⁺	21.5	Yb ³⁺	19.49
Fe ²⁺	14.30	Sn ²⁺	18.3 ^b	Lu ³⁺	19.74
Co ²⁺	16.45	Pb ²⁺	18.0	Th ⁴⁺	23.2
Ni ²⁺	18.4	Al ³⁺	16.4	U4+	25.7
Cu ²⁺	18.78	Ga ³⁺	21.7		
Ti ³⁺	21.3	In ³⁺	24.9		

NOTE: The stability constant is the equilibrium constant for the reaction $M^{s+} + Y^{4-} = MY^{s-4}$. Values in table apply at 25°C and ionic strength 0.1 M unless otherwise indicated.

Complexometric titration curves

Titration curves usually plot the pM against the added titrant (EDTA) volume. Note, that an increasing pM means strongly decreasing [M]. Points of the titration curve can be calculated using the conditional formation constant K' (at fixed pH). If K' is large, we can assume a complete reaction at each point.

Example:

50 mL 0.05 M Ca²⁺ 0.05 M EDTA (Y) titrant $M + Y \leftrightarrow MY$ $K' = 1.3 \times 10^{10}$

Before the equivalence point: pM is controlled by the excess, unreacted metal ion

At the equivalence point: M is only present due to the slight dissociation of MY

After the equivalence point: pM is controlled by the excess EDTA

Complexometric titration curves

REGION 1 - BEFORE THE EQUIVALENCE POINT

0 mL titrant added (0%):

pM = -lg[M] = -lg(0.05) = 1.301

10 mL titrant added (20%):

we can neglect the dissociation of MY

 $pM = -lg [M_{remaining}]$

 $C_{M, \text{ remaining}} = ((C_{M, \text{ total}} \cdot V_M) - (C_{EDTA} \cdot V_{EDTA, \text{ added}})) / V_{\text{total}}$

pM = -lg (0.0333) = 1.477

25 mL titrant added (50%):

the approach is the same as above

pM = - lq (0.0166 M) = 1.778

Complexometric titration curves

REGION 2: AT THE EQUIVALENCE POINT

50 mL titrant was added (100%):

We can calculate pM like we dissolved MY

$$\frac{[MY]}{[M][Y]} = K'$$

First, we calculate the total [MY] and then pM will be determined by the dissociation.

 $[MY] = (c_{M, \text{ total}} \cdot V_M) / V_{\text{total}} = 0.025 \text{ M}$

$$\frac{0.025 - x}{x^2} = 1.3 \cdot 10^{10} \Longrightarrow x = 1.38 \cdot 10^{-6} M$$

 $pM = -lg (1.38 \cdot 10^{-6}) = 5.85$

Complexometric titration curves AGENT 3: AFTER THE EQUIVALENCE POINT Just with the added (150%) We use the equilibrium formula again, $\begin{bmatrix}MY\\\\M\end{bmatrix} = K'$ $\begin{bmatrix}MY\\\\M\end{bmatrix} = (c_{M, total} \cdot V_{M}) / V_{total} = 0.020 M$ $\begin{bmatrix}DTA\\\\\end{bmatrix} = (c_{EDTA} \cdot V_{EDTA, excess}) / V_{total} = 0.010 M$ $\frac{0.02}{[M] \cdot 0.01} = 1.3 \cdot 10^{10} \Rightarrow [M] = 1.53 \cdot 10^{-10} M$ $pM = -lg (1.53 \cdot 10^{-10}) = 9.81$





Complexometry – auxiliary agents

Some metal ions need to be titrated at such alkaline pHs, which normally cause their hydroxide precipitate to form. To prevent this, one can add complexing agents to the sample which bring the metal ion into a weak complex. This weak complex will prevent the metal ions from forming hydroxides, but are weak enough to give up the metal ions upon the addition of EDTA.

Examples to such agents:

- ammonia
- tartarate
- citrate



End point indication in complexometry

EP indication is done by weak complexing agents that change their color upon complexation (metal ion indicators). Here is what happens during titration:

- when adding the indicator, some metal ions will react with it, so color will be that of the indicator-metal complex (MIn)
- · the added EDTA will react first with free metal ions
- near, but before the end-point MIn gives up its metal ion to EDTA, and the more stable EDTA-metal complex forms
- at the end-point, all MIn is broken up, so the indicator will show its free color

Of course, the indicator-EDTA push-pull reaction needs to be fast, so the end-point will not be overrun. It also follows that there is no indicator error in complexometry, thus we can use a larger amount of indicator if needed.

Table 12-3	Common metal ian indicators			
Name	Structure	р <i>К</i> а	Color of free indicator	Color of metal ion complex
Calmagite	$\bigcup_{\mathbf{CH}_{j}}^{\mathbf{OH}} -\mathbf{N} = \mathbf{N} - \bigcup_{\mathbf{CH}_{j}}^{\mathbf{OH}} - \mathbf{SO}_{3}^{-}$	$pK_2 = 8.1$ $pK_3 = 12.4$	H ₂ In ⁺ red HIn ² - blue In ^{3 -} orange	Wine red
Eriochrome black T	$\begin{array}{c} OH \\ OH \\ O \\ O$	$pK_2 = 6.3$ $pK_3 = 11.6$	Haln ⁻ red Hin ² - blue In ³ - orange	Wine red
Murexide	$\begin{array}{c} 0 & 0 \\ HN - & N - & - O \\ HN - & N - & - O \\ HN - & O - & - O \\ 0 & - & - O \\ (H_{q})n \end{array}$	$pK_2 = 9.2$ $pK_3 = 10.9$	H _e In red-violet H ₃ In ²⁻ violet H ₂ In ³⁻ blue	Yellow (with Co^{2+} , Ni^{2+} , Cu^{2+}); red with Ca^{2+}
Xy le nol orange	$\begin{array}{c} CH_{3} \\ CH_{3$	$pK_{2} = 2.32$ $pK_{3} = 2.85$ $pK_{4} = 6.70$ $pK_{5} = 10.47$ $pK_{6} = 12.23$	$\begin{array}{ll} H_{e}In^{-} & {\rm yellow} \\ H_{a}In^{2-} & {\rm yellow} \\ H_{a}In^{4-} & {\rm yiolet} \\ H_{a}In^{4-} & {\rm violet} \\ H_{a}In^{4-} & {\rm violet} \\ In^{6-} & {\rm violet} \end{array}$	Red
Pyrocatechol violet		$pK_1 = 0.2$ $pK_2 = 7.8$ $pK_3 = 9.8$ $pK_4 = 11.2$	H ₄ In red H ₃ In ⁻ yellow H ₃ In ² violet H ³ ² red pumple	Blue

Applications of complexometry

Complexometric applications always need a careful setting of the ° pH, for which one uses buffer solutions. Care must be exercised when choosing the buffer, as these contain weak bases and/or acids that may also have complexing properties (e.g. ammonia, citratic acid, acetic acid, etc.)

Direct titration of metal ions

A number of metal ions can be titrated directly. See the former tables for this.

Indirect titration

Anions that precipitate with certain metal ions can be analyzed with EDTA indirectly. For example, SO_4^{2-} can be first precipitated from the sample solution using excess Ba^{2+} as $BaSO_4$. Then the precipitate is washed and separated from the sample solution and boiled with excess EDTA at pH= 10 to bring all Ba^{2+} back into solution as $Ba(EDTA)^{2-}$. The excess of EDTA can be then titrated back using e.g. Mg^{2+} .

Applications of complexometry

Water hardness determination

Hardness is the total alkaline earth ion concentration in water (these ions form a precipitate with soap, hence the "hard water" expression). These are mainly Ca²⁺ and Mg²⁺, so by titrating these two ions with EDTA, one can assess the hardness of a water sample.

Sample preparation: masking of minor metal ions in the sample that may also react with EDTA has to be done (ascorbic acid for Fe^{3+} reduction, CN^- for Fe^{2+} , Cu^+ , etc.)

If the titration is done at pH = 10 in ammonia buffer, the result gives the total $[Ca^{2+}]+[Mg^{2+}]$. Indicator: Eriochrome Black T

 Ca^{2+} can be titrated separately at pH= 13 without ammonia. At this pH, Mg(OH)₂ precipitates and so Mg²⁺ is inaccessible to EDTA. Indicator: Murexide

\mathcal{O}	Summary of EDTA complexometry				
	Main use:	titrimetric determination of metal ions			
	Main appeal:	 very versatile titrant easily calculable, uniform stoichiometry easy EP indication, largely free from error 			
	Titrant:	0.02-0.05 M solution, needs to be standardized using metal ion solutions			
	Conditions:	sample has to be buffered (usually to an alkaline pH)			
	Indicators:	weak complexing agents (Murexide, Xylenol orange, etc.)			
	Applications:	e.g. direct titration of metal ions, water hardness determination, indirect sulphate determination, etc.			